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Instructions - (1) All Questions are Compulsory.
(2) Answer each next main Question on a new page.
(3) Illustrate your answers with neat sketches wherever necessary.
(4) Figures to the right indicate full marks.
(5) Assume suitable data, if necessary.
(6) Use of Non-programmable Electronic Pocket Calculator is permissible.
(7) Mobile Phone, Pager and any other Electronic Communication devices are not permissible in Examination Hall.

1. Attempt any FIVE of the following: 10
a) Find rms and average value of the waveform shown in Fig. No. 1.


Fig. No. 1.
b) Define impedance and state its unit.
c) Draw power triangle for RL series circuit and label it.
d) Define admittance. Give its relation with conductance.
e) State the type of magnification in parallel resonant circuit.

Also give value of pf at this condition.
f) Specify the value of neutral current in case of balanced load and unbalanced load.
g) Draw an ideal and a practical current source. Write difference between them.
h) Define the terms - Mesh, Node.
2. Attempt any THREE of the following:
a) Identify the circuit from Fig. No. 2. Calculate power factor and circuit components.


Fig. No. 2.
b) Derive relation of resonant frequency for the circuit shown in Fig. No. 3.


Fig. No. 3.
c) Three impedances each of $(12-j 15) \Omega$ are connected in star across $400 \mathrm{~V}, 3 \phi \mathrm{AC}$. Calculate -
i) $Z_{p} h$
ii) $\mathrm{I}_{\mathrm{p}} \mathrm{h}$ and $\mathrm{I}_{\mathrm{L}}$
iii) Pf
iv) Q
d) Write a step by step procedure to find load current using Norton's theorem.
3. Attempt any THREE of the following:
a) A series circuit consists of $\mathrm{R}=20 \Omega, \mathrm{~L}=0.3 \mathrm{H}$ and
$\mathrm{C}=400 \mu \mathrm{~F}$. Calculate -
i) Resonant frequency
ii) Quality factor
b) Find admittance of each branch, total admittance and total current of the circuit shown in Fig. No. 4.


Fig. No. 4.
c) $13 \phi$ load when connected in delta across $250 \mathrm{~V}, 3 \phi, 50 \mathrm{~Hz} \mathrm{AC}$ consumes 8 kw at 0.8 pf . Calculate load parameters.
d) Find current through $20 \Omega$ resistor of Fig. No. 5 using mesh analysis.


Fig. No. 5.
e) i) State reciprocity theorem.
ii) Write duality of any two electrical elements.
4. Attempt any THREE of the following:
a) For a pure inductor connected across AC supply -
i) Write current equation.
ii) Draw voltage and current waveform.
iii) Draw phasor diagram.
iv) State value of power consumed.
b) A coil with $\mathrm{R}=10 \Omega$ and $\mathrm{L}=0.25 \mathrm{H}$ is connected in parallel with a capacitor of $100 \mu \mathrm{f}$. Find -
i) Quality factor
ii) Dynamic resistance.
c) Three impedances each of value $(6+j 8) \Omega$ are connected in delta across $250 \mathrm{~V}, 3 \phi, 50 \mathrm{~Hz} \mathrm{AC}$. Calculate -
i) Phase current
ii) Line current
iii) Power factor
iv) Power.
d) Find the value of current through $9 \Omega$ resistor of Fig. No. 6. using Thevenin's theorem.


Fig. No. 6.
5. Attempt any TWO of the following:
a) A series RLC circuits consists of $\mathrm{R}=33 \Omega, \mathrm{~L}=0.44 \mathrm{H}$ and $\mathrm{C}=222 \mu \mathrm{f}$. It is connected across $200 \mathrm{~V}, 50 \mathrm{~Hz}, 1 \phi \mathrm{AC}$. Calculate -
i) $\quad X_{L}$ and $X_{C}$
ii) $Z$
iii) I
iv) $\phi$ and pf
v) $P$
vi) $Q$
b) Find voltage across $3 \Omega$ resistor of Fig. No. 7. using Nodal analysis.


Fig. No. 7.
c) State maximum power transfer theorem. Find value of $R_{L}$ for Fig. No. 8, so that maximum power will be transferred to it. Also find the maximum power.


Fig. No. 8.
6. Attempt any TWO of the following:
a) For a three phase circuit, give -
i) Any two advantages over single phase.
ii) Any two types of connections.
iii) Any two possible phase sequences.
iv) Relation of reactive power.
v) Value of incoming voltage in your laboratory.
vi) Meaning of phase current, line current.
b) Derive the equation to convert the value of resistances connected in delta to those equivalent values in star. Hence convert the circuit of Fig. No. 9. into equivalent one.


Fig. No. 9.
c) Find the voltage across $8 \Omega$ resistor of Fig. No. 10. using Superposition theorem.


Fig. No. 10.

