21222
3 Hours / 70 Marks

15 minutes extra for each hour
Instructions - (1) All Questions are Compulsory.
(2) Illustrate your answers with neat sketches wherever necessary.
(3) Figures to the right indicate full marks.
(4) Assume suitable data, if necessary.
(5) Use of Non-programmable Electronic Pocket Calculator is permissible.
(6) Mobile Phone, Pager and any other Electronic Communication devices are not permissible in Examination Hall.

Marks

1. Attempt any FIVE of the following: $\mathbf{1 0}$
a) Define active power and reactive power for R-L-C series circuit.
b) Define RMS value and average value related to sinusoidal AC waveform.
c) Define term conductance and susceptance, state its unit.
d) Define - Phase sequence and write equations for instantaneous values of $3 \phi$ voltages.
e) Give equations for delta to star transformation.
f) State Norton's theorem.
g) State Reciprocity theorem.
2. Attempt any THREE of the following:
a) Derive the expression for current in pure inductor circuit when connected to $1 \phi$ AC Supply with graphical representation.
b) Draw and explain RLC parallel Ckt. Find out the equation for resonant frequency.
c) State any four advantages of polyphase circuit over single phase circuit. (system)
d) Find the current in $6 \Omega$ resistor in the circuit shown in Fig. No. 1 using mesh analysis.


Fig. No. 1
3. Attempt any THREE of the following:
a) Derive the expression for resonance frequency for a RLC series circuit.
b) Compare series resonance to parallel resonance on the basis of
i) Resonant frequency
ii) Impedance
iii) Current
iv) Magnification
c) A star connected $3 \phi$ load is supplied from $3 \phi, 415 \mathrm{~V}, 50 \mathrm{~Hz}$ supply. If the line current is 20 A and total power taken is 10 KW , then determine
i) Load resistance and reactance per phase
ii) Load power factor
iii) Total $3 \phi$ reactive power
d) Find current in $40 \Omega$ and $10 \Omega$ in Fig. No. 2 using node voltage analysis method.


Fig. No. 2
e) State Norton's theorem. Also write stepwise procedure for applying Norton's theorem to simple Ckt.
4. Attempt any THREE of the following:
a) A R-L-C series circuit with a resistance of $20 \Omega$, inductance of 0.25 H and capacitance of $100 \mu \mathrm{~F}$ is supplied with 240 V variable a.c. supply, calculate.
i) Resonance frequency
ii) Current at this condition
iii) Power Factor
iv) Quality Factor
b) A choke coil has a resistance of $2 \Omega$ and an inductance of 0.0035 H is connected in parallel with $350 \mu \mathrm{~F}$ capacitor which is in series with a resistance of $20 \Omega$. When the combination is connected across a $200 \mathrm{~V}, 50 \mathrm{~Hz}$.
Calculate
i) Total current taken
ii) P.F. of whole circuit
c) Each phase of delta-connected load comprise a resistor of $50 \Omega$ and capacitor of $50 \mu \mathrm{~F}$ in series. Calculate the line and phase currents when the load is connected to a $440 \mathrm{~V}, 3$ phase, 50 Hz supply.
d) Calculate the value of R which will absorb maximum power from the circuit of Fig. No. 3.


Fig. No. 3
5. Attempt any TWO of the following:
a) A coil having resistance of $10 \Omega$ and inductance of 0.15 H is connected in parallel with R-C series combination having $\mathrm{R}=5 \Omega$ and $\mathrm{C}=20 \mu \mathrm{~F}$. If supply voltage is $110 \mathrm{~V}, 50 \mathrm{~Hz}$ then
i) Draw circuit diagram
ii) Calculate branch currents using impedance method
iii) Power absorbed by the each branch
b) Reduce the network shown in Fig No. 4 by applying Star/Delta or Delta/Star transformation and determine equivalent resistance 'RAB'.


Fig. No. 4
c) Find $\mathrm{I}_{\mathrm{L}}$ for the circuit shown in Fig. No. 5 using superposition theorem.


Fig. No. 5
6. Attempt any TWO of the following:
a) An inductive coil $(10+j 40) \Omega$ impedance is connected in series with a capacitor of $100 \mu \mathrm{~F}$ across $230 \mathrm{~V}, 50 \mathrm{~Hz}, 1 \phi$ Mains.

Find :
i) Current through the circuit
ii) P.F of the circuit
iii) Power dissipated in the circuit.
iv) Draw the phasor diagram.
b) In a 3 Phase star connected system, derive the relationship $\mathrm{VL}=\sqrt{3} \mathrm{Vph}$.
c) Apply superposition theorem to compute current I in the network shown in Fig. No. 6.


Fig. No. 6

